different situations.



YLEISEN TENTIN TENTTILOMAKE - GENERAL EXAM FORM

Opiskelija täyttää / Student fills in Opiskelijan nimi / Student name: Opiskelijanumero / Student number: Click here to enter text. Click here to enter text. Opettaja täyttää / Lecturer fills in Opintojakson koodi / The code of the course: 721320S Opintojakson (tentin) nimi / The name of the course or exam: ECONOMIC THEORY I Opintopistemäärä / Credit units: Mikäli kyseessä on välikoe, opintopistemääräksi täytetään 0 op. 0 ECTS Credits is used for mid-term exams. Tiedekunta / Faculty: Oulu Business School Tentin kesto tunteina / Exam in hours: 3 h Tentin pvm / Date of exam: 23.8.2019 (Summer exam) Tentaattori(t) / Examiner(s): Sisäinen postiosoite / Internal address: Professor (acting) Jaakko Simonen jaakko.simonen@oulu.fi Tentissä sallitut apuvälineet / The devices allowed in the exam: □ Funktiolaskin / Scientific calculator ☐ Ohjelmoitava laskin / Programmable calculator ☐ Muu tentissä sallittu materiaali tai apuvälineet. Tarkenna alla. / Other material or devices, allowed in the exam. Specify below. Click here to enter text. ☐ Tentissä ei ole sallittua käyttää apuvälineitä / The devices are not allowed in the exam Muut tenttiä koskevat ohjeet opiskelijalle (esimerkiksi kuinka moneen kysymyksen opiskelijan tulee vastata) / Other instructions for students e.g. how many questions he/she should answer: Important! You can choose to answer question 1 or 2, not both! Questions 3 - 5 are for everyone. In

total you can answer to 4 questions. Please remember to explain shortly what you are calculating in



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Tentin kysymykset / Exam questions:

- 1. a) Describe graphically consumer's utility optimisation problem in a general level in x, y -space. (You can assume the Cobb-Douglas utility function). (2 points)
 - b) Peter uses m euros per day for chocolate bars (x) and coffee (cups of coffee) (y). Suppose that his utility function is $u(x, y) = a\sqrt{x} + \sqrt{y}$, where a > 0. Price of the goods are p_x and p_y .

Use this information to calculate:

- Marshallian demand functions for both goods.
- What share of the total expenditures per day Peter uses for coffee?
- How many chocolate bars and coffee (cups of coffee) Peter uses, if a = 1/2, m = 9, $p_X = 2$ and $p_Y = 1.2$

(4 points)

2. Use modified Slutsky equation to describe how changes in wage rate affects to the labour supply. (You do not have express the exact form of Slutsky equation). Interpret the research results (presented in table below, related to the effect of wage to labour supply) of Blundell & Walker (Economic Journal, 1982). Draw figures to clarify and enliven your answer (a short essay).

	total	subst	Income
Men:	-0.23	+0.13	-0.36
Women:			
No children	+0.43	+0.65	-0.22
One child	+0.10	+0.32	-0.22
Two children	-0.19	+0.03	-0.22

(6 points)

- 3. Consider a market with only 2 firms. Cost functions (c_i) for firms (i=1,2) are; c₁ (q₁) = q₁ for firm 1 and c₂ (q₂) = 2q₂ for firm 2. g_i is the output of firm i = 1, 2. Demand function of the market is on D(p) = 100 p.
 - a) Solve Cournot -Nash equilibrium, when firms make decisions over their output quantities simultaneously.
 - b) What are the firms' profits (π) in the equilibrium?
 - c) Which firm has higher market share (you must calculate this) and why?

(6 points)

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- 4. a) Use Edgeworth box to describe the competitive equilibrium of the exchange economy in a case of two individuals (who have convex preferences) and two commodities. <u>Draw a figure</u> and explain its content carefully. Define Walras's law, contract curve and core of economy. (2 points)
 - b) Consider an exchange economy that consists of two commodities $(x^1 \text{ and } x^2)$ and two individuals (1 and 2). These individuals have their utility functions as follows

$$u_1(x_1^1, x_1^2) = x_1^1 x_1^2 + 2x_1^1 + 5x_1^2$$

$$u_2(x_2^1, x_2^2) = x_2^1 x_2^2 + 4x_2^1 + 2x_2^2$$

The initial endowments ω of consumers are $(\omega_1^1, \omega_1^2) = (78,0)$ for consumer 1 and $(\omega_2^1, \omega_2^2) = (0.164)$ for consumer 2. Find the equilibrium price ratio. What is the equilibrium allocation and how much consumers are trading? (4 points)

5. Suppose that the players can choose the probability with which to play each of their pure strategies. Denote the probability that player A chooses *l* by x, so that she chooses *r* with probability (\(\ll_-\) x). Similarly, player B chooses *u* by y, so that she chooses *d* with probability (1- y). (In brackets first number refers to player A's payoffs, and the second number to player B's payoffs.)

Player A

Player B d (4,8) (2,4)

a) Is there a Nash Equilibrium in pure strategies? Explain your answer shortly.

(I point)

b) Find the mixed-strategy equilibrium, explain optimal strategies for both players, and draw a figure (in x, y plane) which shows reaction correspondence of both players and the equilibrium. (5 points)

(totally 6 points)

Opettajalle: Jos tenttikysymykset sisältävät matemaattisia kaavoja, kuvia tms. sisältöä, joka ei saa muuttua, toimita tämä tenttilomake docx-muodossa ja varsinaiset tenttikysymykset erillisenä liitteenä pdf-muodossa. Toimita tentin kysymykset sekä suomeksi että englanniksi, jos tentissä on kansainvälisiä opiskelijoita.



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For teacher: If the exam questions have mathematical formulas, pictures or other content that should not change, please send two separate documents: this general exam form in docx-format and the actual exam questions in pdf-format. Submit the exam questions both in Finnish and in English if there are international students in the exam.